# **Powder Diffraction Instruments**

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We have completed a preliminary analysis of the target/moderator options of the powder diffraction programme at the ESS. This includes a series of analytical simulations of steady-state and time-of-flight instruments, and is aimed at addressing the following questions:

- 1. What is the perspective gain factor at the ESS with respect to existing steady-state and time-of-flight instrumentation?
- 2. What is the likely choice of target for the different applications?
- 3. What is the likely choice of moderator for the different applications?
- 4. What priorities for further moderator developments can be identified?

<u>Answer to Question 1</u>.: at the ESS we can expect a source-related gain factor varying between 10 and 80 with respect to present-day state-of-the-art instruments. The bigger gains, which can be further increased (x2) by beam-optics optimisation, are for the longer wavelengths, while the gains at shorter wavelengths are limited by the lack of a truly sharp cold moderator.

<u>Answer to Question 2</u>.: all the ESS powder diffractometers should have the 50Hz target as first choice. Locating some or all the instruments on the 10Hz short-pulse target will result in a significant but not catastrophic loss in flexibility. Of course, this statement holds true only assuming that there is no peak flux gain in optimising the 10Hz target over the 50Hz target. The best instruments to be assigned to the 16.6Hz long-pulse target are a variable-resolution cold-neutron diffractometer. A Fourier diffractometer can also be considered.

<u>Answer to Question 3</u>: coupled moderators are not ideal for powder diffraction, primarily because of the long "tails". From this provisional assessment, the following moderator choices have emerged:

De-coupled poisoned H<sub>2</sub> moderator for high-resolution applications.

De-coupled unpoisoned H<sub>2</sub> moderator for medium-resolution magnetic and low-Q diffraction.

De-coupled unpoisoned H<sub>2</sub>O moderator for medium-resolution crystallography.

<u>Answer to Question 4</u>: a truly sharp cold moderator, similar to the ISIS liquid CH<sub>4</sub> moderator, is dearly missed. Some more work should be done to identify a possible alternative.

## Introduction

By all accounts, the outlook for powder diffraction at the new Introduction: Future high-power sources in Europe and elsewhere is extraordinarily prospects of powder bright. Powder diffractometers at present pulsed sources are diffraction at intense already competitive with steady-state machines, and one can *pulsed sources*. expect further gains of 1-2 orders of magnitude at the ESS. Nevertheless, one can already identify two main challenges for powder diffraction at future high-power pulsed sources. First of all, there is a general desire to broaden the scope of time-of-flight powder diffraction into traditional steady-state strongholds, such as magnetic diffraction. This is in line with the stated philosophy of turning ESS into a "super-ILL" as well as a "super-ISIS". Secondly, we will have to adapt to a targetmoderator landscape bearing little resemblance with the one we have been used to at ISIS and other pulsed sources. This document is a preliminary attempt to address these issues. We have purposely chosen to use rather simple simulation tools, so that a sizeable number of options could be tested. We have also included suggestions for further work to be undertaken in the powder diffraction task group and in the moderator/target group.

# **Preliminary considerations**

## Performances of a powder diffractometer

Powder diffraction is in many ways an ideal technique to be applied at pulsed sources. In fact, powder diffraction fulfils the two main criteria for pulse source efficiency: it can make effective use of a broad wavelength band and it benefits from high resolution. In the next few paragraphs we will elaborate on this statement, and set out the fundamental formulas to evaluate the performances of a time-of-flight diffractometer and to compare it with a steady-state diffractometer.

The main difference between steady-state and pulsed sources is that, for the latter, the neutron emission is concentrated in short bursts. In other words, the peak power of pulsed sources is much higher than their average power. One is primarily interested in maximising the time-averaged flux on the sample. In fact, the average count rate for a diffractometer

$$P \propto F \cdot O_{\text{det}} \cdot \boldsymbol{e}_{\text{det}} \cdot V_{eff} , \qquad (1)$$

is proportional to the time-averaged flux on the sample, the detector solid angle and the "effective" (absorption-corrected) (Equation 1). sample volume.

Under certain circumstances, however, the source parameter that ultimately determines the instrument count rate is in fact the *peak* power. For a diffractometer, this is verified when the following two conditions are simultaneously met:

- 1. The pulse width is a significant component of the resolution function.
- 1. The time frame (i.e., the range of time-of-flights in which "useful" neutrons are collected) is equal to the reciprocal of the source repetition rate. We will see later that this condi-

## Performances of a powder diffractometer.

The average count rate is the product of the flux at the sample, the detector solid angle and efficiency and the sample volume

tion dictates the wavelength band to be employed by the diffractometer.

If condition 2. Is verified, it is possible to show that the average flux on the sample for a pulsed-source diffractometer is given by

$$\overline{F} = R \cdot \left\langle B_{peak}(\mathbf{I}) \cdot \boldsymbol{e}(\mathbf{I}) \cdot \boldsymbol{\Omega}_{source}(\mathbf{I}) \right\rangle, \qquad (2)$$

where  $B_{peak}(I)$  is the peak brilliance (neutrons sec<sup>-1</sup> cm<sup>-2</sup> -sterad<sup>-1</sup> %BW<sup>-1</sup>), *R* is the dispersive  $(\Delta \tau / \tau)$  component of the resolution (here assumed to be constant), e(1) is the optical **instruments (Equation 3)** system efficiency and  $W_{source}(I)$  is the viewing solid angle of the source (moderator or guide; in the latter case the solid angle is wavelength-dependent). The average is over the wavelengths used by the instrument. Equation (2) has to be compared with the equivalent formula for a steady-state source,

$$F = R \cdot B_{peak}(\mathbf{l}) \cdot \mathbf{e}(\mathbf{l}) \cdot \Omega_{source}(\mathbf{l}), \qquad (3)$$

where, now, R=DI/I. The comparison between equations (2) and (3), taking into account equation (1) as well, elicits a few considerations:

- Time-of-flight and constant-wavelength machines achieve high count rates in different ways. Reactor-based instruments tend to maximise the source solid angle, by exploiting focussing monochromators, whereas diffractometers at pulsed sources tend to have much larger detector solid angles.
- Since ISIS and the ILL have comparable peak brilliances, and all the other factors in Equation (1) balance out in the first approximation, comparable machines at the two sources should have comparable performances. For the two high-resolution machines D2B and HRPD, which have overlapping domains of application, this has been empirically demonstrated through the experience of many users. The same is not true for high-flux machines, which are optimised for rather different uses at the two sources.

## The wavelength bandwidth of a time-of-flight diffractometer

As already mentioned, the wavelength band is a critically important parameter defining the performances of a time-offlight diffractometer. Its maximum value is defined by the need to avoid frame overlap, which is the superposition of neutrons coming from different pulses onto the same frame:

$$\Delta \boldsymbol{I}_{Max}(\mathbf{\mathring{A}}) = \frac{3957}{\boldsymbol{n}_{source} \cdot \boldsymbol{L}_{tot}(m)}, \qquad (4)$$

where  $n_{\text{source}}$  is the repetition rate of the source and  $L_{tot}$  is the total flight-path.

It is important to distinguish between this single-frame bandwidth and the effective bandwidth, which can be much larger if multi-frame data acquisition is employed (see below) In

Equation (1) can be rewritten in terms of the source brilliance and the instrument dispersive resolution for TOF (Equation 2) and CW

TOF and CW instrument achieve high count rates by different means the effectiveness of which varies as a function of Q.

The single-frame wavelength bandwith is a key parameter in understanding the performances of a TOF diffractometer.

modern time-of-flight diffractometers, this single-frame wavelength band is usually set by means of a system of choppers. It is immediately apparent from (4) that long instruments at fast sources have a narrow bandwidth. When this is perceived to be a disadvantage, another chopper can be added to reduce the source frequency by suppressing some of the pulses. Another approach is that of making repeated measurements with different wavelength ranges. This is known as *multi-frame* data collection.

#### Resolution of a time-of-flight diffractometer

In addition to the usual geometrical terms, the pulse width usually gives an important contribution to the instrumental resolution, especially in back scattering. The actual shape of the pulse and its dependence on wavelengths are complex functions, dictated by the physical processes occurring within the moderator [1] (Fig. 1). Quite often, it is assumed that *Dt* is directly proportional to *I*, which would be equivalent to approximate the curve in Figure 1 with a straight line with zero intercept, and, in this case, approximate slope of  $S \sim 1^{-10^{-5}}$  sec/Å. The pulse-width component of the resolution function can then be approximated by

$$R_{pulse} \approx \frac{3956}{L_{tot}(m)} \cdot \Sigma$$
<sup>(5)</sup>

Combining (4) with (5) we obtain:

$$\Delta \boldsymbol{I}_{Max}(\text{\AA}) = \frac{R_{pulse}}{\boldsymbol{n}_{source} \cdot \boldsymbol{\Sigma}},$$
(6)

which defines the relationship between bandwidth, resolution, repetition rate and pulse width.



*Fig. 1:* Exponential decay constant for the ISIS liquid-methane moderator, measured on GEM.

#### Setting the optimum bandwidth

At the end of the seventies, when the first time-of-flight diffractometers were being conceived for pulsed sources such as Zing-P', IPNS, and, later, ISIS, a number of options were considered in principle. However, at the end, the design philosophy was dictated by considerations of mostly practical nature:

The "dispersive" resolution of a TOF diffractometer is proportional to the pulse width and, the total flightpath.

- The need to avoid as much as possible expensive neutron guides favoured relatively short instruments ( $L_{tot} \sim 10$ -15m), naturally leading to wide single-frame bandwidths. This dictated the use of "sharp" (decoupled/poisoned) water or cold (liquid or solid) methane moderators. 50 or 60Hz repetition rate was standard.
- The original methods of time-of-flight data reduction (electronic focussing) and analysis (single-histogram Rietveld refinement) also favoured broad bandwidths, which allowed relatively large wavelength-dispersive histograms to be produced.
- For the high-resolution machine HRPD, the single-frame bandwidth was kept reasonably large by reducing the source repetition rate.

It is clear that most of the considerations underpinning the design philosophy of first-generation diffractometers are now superseded by developments in neutron optics and by the massive increase of computing power available to the instrument scientists and the users. For example, multi-histogram analysis of time-of-flight data from different detector banks, once performed only in exceptional circumstances, is now applied routinely, automatically and, to a certain extent, transparently, on instruments such as GEM [2]. In the near future, and certainly well before the advent of the ESS, new data collection techniques, such as commensurate or incommensurate chopper "slewing" will enable narrow-bandwidth instruments to perform extended data collections as short as a few frames. Consequently, the single-frame bandwidth is rapidly losing importance as a defining parameter for diffractometers design. Also, new data computer-intensive focussing methods can be implemented, when this represents an advantage.

# Comparison with existing instrument/sources

In this section, we will attempt to make a quantitative comparison between existing state-of-the-art instrumentation at steady-state and pulsed sources and at the ESS. It is important to remark that, in doing this, we will not introduce any element of novelty in the instrumentation itself, but we will only consider the enhanced performances of the source.

## Choosing the instruments for the comparison

It seems appropriate to base the comparison on the most recent instrumentation installed at existing sources. For both ILL and ISIS, the latest powder diffractometers are both highintensity, medium-resolution machines, D20 and GEM, respectively. D20 became operational in 1997, while GEM saw its first neutrons in late 1999. As already remarked, these medium-resolution machines have quite different characteristics, which reflect the differences in scientific interests of the ILL and ISIS powder diffraction communities. In the most commonly used configuration, D20 has a resolution  $Dd/d \pounds 0.01$ , and achieve a high count rate mainly through high flux on the sample. These characteristics are ideal for studying

First and secondgeneration instruments are typically broadbandwidth, wavelengthdispersive machines. New technologies have enabled new configurations to be explored.

An initial comparison between ESS, ISIS and the ILL is made, to estimate the perspective gains. magnetic diffraction and the macroscopic parameters (lattice parameters, phase fractions, peak intensities, etc.) of timeresolved chemical or physical phenomena. On the contrary, GEM has a much better resolution  $Dd/d \pm 0.002$ , and a much lower incident flux, which is compensated by a very large detector solid angle. This is ideal to study both macroscopic and microscopic parameters (atomic coordinates, Debye-Waller factors, occupancies, etc.) with a very high time resolution. Because of these differences, the comparison between these instruments has to be taken *cum grano salis*. As for the ESS, we have taken an instrument with the same characteristics of GEM (flight-path, detector system, moderator size) and tested it on four different de-coupled moderators (cold-poisoned, cold-unpoisoned, thermal poisoned, thermal-unpoisoned). Clearly, using a coupled moderator at 17m primary flight-path is not a viable option, and we have not considered it here.

#### Defining the parameters for the comparison

We will present comparisons between two different parame- We define effective flux ters. The first one is the effective flux  $f_{eff}$ , which enables one and effective peak height to calculate the integrated intensity  $I_{hkl}$  of a given Bragg peak, **as comparison** expressed in neutrons per second:

$$I_{hkl} [n/\text{sec }] = F_{eff} \times \frac{V_{sample} \cdot f}{v_{u,c}^2} \times m_{hkl} / F_{hkl}^2, \qquad (7)$$

where  $V_{sample}$  is the sample volume in cm<sup>3</sup>,  $v_{u.c.}$  is the unit cell volume in Ångstroms, f is the packing fraction of the powder,  $m_{hkl}$  is the reflection multiplicity and  $|F_{hkl}|^2$  is the square of the structure factors expressed in Barns. Note that f eff contains all the appropriate geometrical and wavelength-dependent terms, which are different for steady-state and pulsed diffractometry. Perhaps a better indicator of relative performances for instruments with different resolution (see below) is the effective peak height  $H_{eff}$ , which is given by the effective flux divided by the peak width (FWHM) in Ångstroms.

Table I: Instrument characteristics for the comparative simulations of steady-state and time-of-flight

	Monochromator /Moderator	Flux/Incident spectrum	Flight-paths L <sub>1</sub> /L <sub>2</sub>	Detector system	Efficiency
D20	HOPG 42° take- off, 2.4 Å	$3.7 \times 10^7$ n/cm <sup>2</sup> /sec <sup>†</sup>	-	<sup>3</sup> He microstrip system, 1600 elements.	90%
GEM	ISIS CH <sub>4</sub> poisoned	From V-rod measurements	17m/1.3-2.3m	6 banks of SZn scintillators, 8000 elements, $W_{det} = 3.5$ sterad	50% @ 1 Å
ESS-1	H <sub>2</sub> decoupled poisoned	From ESS- Instr4.12.00	17m/1.3-2.3m	6 banks of SZn scintillators, 8000 elements, $W_{det} = 3.5$ sterad	50% @ 1 Å
ESS-2	H <sub>2</sub> decoupled unpoisoned	From ESS- Instr4.12.00	17m/1.3-2.3m	6 banks of SZn scintillators, 8000 elements, $W_{det} = 3.5$ sterad	50% @ 1 Å
ESS-3	H <sub>2</sub> O decoupled poisoned	From ESS- Instr4.12.00	17m/1.3-2.3m	6 banks of SZn 50% 0 scintillators, 8000 elements, $W_{det} = 3.5$ sterad	
ESS-4	H <sub>2</sub> O decoupled unpoisoned	From ESS- Instr4.12.00	17m/1.3-2.3m	6 banks of SZn scintillators, 8000 elements, $W_{det} = 3.5$ sterad	50% @ 1 Å

<sup>†</sup> Source: ILL-D20 web page.

parameters.

$$H_{eff} = \frac{F_{eff}}{W[Å]}$$
(8)

The instrument parameters used for the simulations are summarised in Table I. The resolution curves for the six instruments are plotted in Figure 2.



For similar flight-paths, ESS instruments have much higher flux (in excess of the canonical ´30) but at the expense of a loss of resolution.

*Fig. 2:* Resolution functions of GEM (blue), D20 (red) and GEM-like instruments at ESS on the four decoupled moderators: H<sub>2</sub>-poisoned (black), H<sub>2</sub>-unpoisoned (orange), H<sub>2</sub>O-poisoned (light gray) and H<sub>2</sub>O-unpoisoned (dark gray).

The first thing to notice is the quite considerable loss of resolution of the ESS instruments with respect to GEM, the primary flight-path being equal. This is due, on one hand, to the poorer peak-shape characteristics of the ESS-H<sub>2</sub> moderators with respect to the ISIS-CH<sub>4</sub> moderator, and to the fact that the switch-over between slowing-down and thermalisation occurs at much shorter wavelengths for H<sub>2</sub>O than for either H<sub>2</sub> or CH<sub>4</sub>. It is noteworthy that the resolution functions of the ESS instruments are still below that of D20 in the high-flux configuration used here.



*Fig. 3:* Effective flux parameter  $f_{eff}$  (see text) for GEM (blue), D20 (red) and GEM-like instruments at ESS on the four decoupled moderators: H<sub>2</sub>-poisoned (black), H<sub>2</sub>-unpoisoned (orange), H<sub>2</sub>O-poisoned (light gray) and H<sub>2</sub>O-unpoisoned (dark gray).

Nevertheless, a realistic analogue of GEM at the ESS will have to be moved farther away from the moderator, at or beyond 40m (more on this later). Part of the loss in source solid angle  $W_{source}$  can be compensated by the large surface area of the ESS moderators (120mm ×120mm: here, we have used the canonical ISIS value of 100mm ×100mm).

Even larger moderators (e.g., 140mm ×140mm) would be worth considering, if technically feasible, since the loss of resolution is likely to be a problem common to other instruments.

The effective flux and effective peak height parameters,  $f_{eff}$ and  $H_{eff}$ , for the same set of instruments are plotted in Fig. 3 and 4, respectively.  $f_{eff}$  is the relevant parameter when the sample contribution to the resolution function dominates the instrumental term, or when one is interested in determining integrated intensities from data with poor statistics.  $H_{eff}$  is the parameter used in most data collection strategies (which generally look at signal-to-noise ratios) for samples that are well matched to the instrument. Even if all Bragg peaks are resolved, an increase of the peak width at constant  $H_{eff}$  will somewhat improve the statistics on the structure factors but will worsen the accuracy on lattice parameters and propagation vectors. Obviously, a decrease of the peak width is an advantage for partially overlapping peaks. It is clear from the data that we can expect an improvement of over two orders of magnitude in both  $f_{eff}$  and  $H_{eff}$  at long d spacing with respect to GEM. The improvement over D20 is over an order of magnitude for  $f_{eff}$  and two orders of magnitude for  $H_{eff}$ .



Fig. 4: Effective peak height parameter H<sub>eff</sub> (see text) for GEM (blue), D20 (red) and GEM-like instruments at ESS on the four decoupled moderators: H<sub>2</sub>-poisoned (black), H<sub>2</sub>-unpoisoned (orange), H<sub>2</sub>O-poisoned (light gray) and H<sub>2</sub>O-unpoisoned (dark gray).

#### The proposed ESS instrument suite

The original suite of ESS instruments [3] included 6 powder instrument suite needs to diffractometers (see Table II). Two of them were located on be revised in the light both the 50Hz target and four on the 10Hz target. 5 out of 6 diffrac- of the emerging needs of

The original ESS powder

tometers were assigned to high-resolution cold moderators, the community and of the while the remaining one (15m high-intensity diffractometer) new technologies. was assigned to the thermal high-resolution moderator. In considering this suite of instruments, one can make the following comments:

- The assignment of the high-resolution  $(Dd/d \sim 1^{-1}10^{-3})$  and ultra-high-resolution ( $Dd/d \sim 5^{-10^{-4}}$ ) diffractometers to the poisoned H<sub>2</sub> moderator cannot be called into question. On the basis of the curves in Figure 2, we can estimated the primary flight-paths of these two machines to be ~100 and ~200m, respectively. There is no penalty in moving these two instruments to the 50Hz target, which has some added advantages, such as access to single-peak operation and angle-focussing modes. Clearly, low-frequency operation, or, equivalently, high-frequency multi-frame data collection, would still be available to collect "conventional" wavelength-dispersive data.
- Most notably, the proposed instrument suite lacks a medium-resolution machine  $(Dd/d \sim 1-2^{-1})$  with access to considerable epithermal flux. This clearly contradicts the recent trend to exploit high-Q data, either with Rietveld refinements or with Fourier-transform methods. We anticipate that a 40m instrument looking at a poisoned  $H_2O$ moderator appears to be the likely choice.
- Magnetic powder diffraction is the most likely candidate for the use of unpoisoned moderators. Here, the loss of epithermal neutrons due to the longer primary flight path is not a severe problem, and the loss is compensated by the gain in peak brilliance of the moderator. Being a "typical" physical crystallography application, magnetic diffraction will almost certainly benefit from the 50Hz operation, as explained above. Similar considerations are valid for a possible high-pressure magnetic diffractometer.
- Coupled moderators are not considered viable for powder diffraction. In fact, they would force unreasonably long flight paths, and produce undesirable tails that cannot be cut effectively, due to the polychromatic nature of time-offlight diffraction. The only possible use of such moderator is for a Fourier diffractometer (see below).

	Target S	Station 1			Target S	Station 2	
H	ligh Frequ	uency 50 Hz		I	ow Frequ	ency 10 Hz	
Ambient High R	esolution	Cold High Resol	ution	Cold High Inten	sity	Cold High Reso	olution
Moderator		Moderator		Moderator		Moderator	
High-Intensity	15 m	High-Pressure	12 m			High-	75 m +
Powder		Powder				Resolution	guide
Diffractometer		Diffractometer				Powder	-
						Diffractometer	
						Ultra High-	150 m
						Resolution	+ guide
						Powder	
						Diffractometer	
						Polarised	10 m
						High-Intensity	
						Powder	
						Diffractometer	
						Magnetic	50 m +
						Powder	guide
						Diffractometer	-

Table II: Reference suite of powder diffractometers, for the European Spallation Source Study<sup>3</sup>, Volume III, pp 5-3,

For some instruments, the choice of moderator is obvious, and need not be further discussed. For example, the highest resolution instruments must be placed on a poisoned cold moderator at 50 or 10Hz.

The choice between moderators is more complex for mediumresolution instruments. We will examine this in greater detail.

Coupled moderators are not useful for powder diffraction. with the possible exception of Fourier diffractometry.

# The choice of the target/moderator package: Instrument simulations

# Instrument parameters

In defining the choice of the target/moderator package, one has to take into account three fundamental parameters:

- 1. The combination of moderator type and primary flight path, which defines the ultimate resolution of the diffractometer.
- 1. The source/chopper setting, which defines the average value of the wavelength and its single-frame range.
- 1. The detector configuration and the data collection strategy, which defines the Q-range of the measurement and the Qdependent resolution function, as well as the fragmentation of the data set.

In this preliminary analysis of the problem, we have considered in detail points 1. and 2., making the assumption that data collected at all scattering angles will be of use. We have chosen to consider an instrument with a peak resolution  $Dd/d \sim 2^{10^{-3}}$ . As already discussed, this resolution can be reached by at least two different viable choices of the moderator and primary flight-path.

# Methods

We have compared two medium-resolution ESS instruments Parameters and methods with comparable resolution  $Dd/d \sim 2^{10^3}$ : a 40m machine for the comparison looking at a poisoned  $H_2$  or  $H_2O$  moderator and an 80m ma- between instrument are chine looking at an unpoisoned H<sub>2</sub> or H<sub>2</sub>O moderator. As a re- laid out. ference, we have also calculated the performances of a 17m ISIS machine looking at a poisoned CH<sub>4</sub> moderator, also having a similar resolution. The detector system we have chosen is the same in all cases: a continuous detector with a secondary flight path of 2m and a constant elevation angle of ±22.5° on either side of the equatorial plane, for a total solid angle of p. All the calculations were performed analytically, using the moderator parameters given in the document ESS-Instr.-4.12.00. The following beam line parameters were adopted:

- For the 17m ISIS instrument, the sample has a direct view of a 100mm ×100mm CH<sub>4</sub> moderator, without any guide.
- For the 40m ESS instrument on the poisoned moderators, the first 20m of the flight tube, which has the same dimensions as the moderator (120mm ×120mm), is coated in Ni  $(g_c=0.00173 \text{ rad/Å})$  on all 4 sides, while the rest of the flight tube is coated with an absorber.
- For the 80m ESS instrument on the unpoisoned moderators, the first 76.6m of the flight tube, which is straight and has dimensions 20mm ×40mm, are coated with Ni on all 4 sides.

It is noteworthy that the maximum vertical divergence of the 80m machine is doubled with respect to the other two. Therefore, we can expect a factor of two gain in effective flux.

The 40m instrument could be equally optimised by adding a guide section coated on the top and bottom sides. This option was not considered here, as it introduces an additional complication in the simulation.

A simple analytical expression, based on the calculation of the number of "bounces" at a given divergence angle, was used to calculate the guide transmission. Since the difference in instrument resolution between the different configurations is quite small, we have chosen to compare the values of  $f_{eff}$ . The ESS curves have been normalised to the ISIS curve, to yield a wavelength-dependent "gain factor". The ISIS 17m instrument was operating at 50Hz, with a wavelength band of 4.05 Å. All the parameters used in the simulation are summarised in Table III.

# Wide-band operation

The gain factors of the two ESS instruments operating in wideband mode (25 Hz for the 40m machine and 10Hz for the 80m one) are shown in Figure 5 for both H<sub>2</sub> and H<sub>2</sub>O moderators. For the cold moderators, one can immediately observe that the gain for the 40m ESS diffractometer over the 17m ISIS one is a factor of 50 at long d-spacings, while the gain is less than a factor of 10 below 0.5 Å. As already observed, the fundamental reason for this is the poorer resolution of the H<sub>2</sub> poisoned moderator with respect to the ISIS CH<sub>4</sub> one, which forces to double the flight-path and, consequently, to have a 4times smaller direct view of the moderator. The 80m instrument is better by another factor of 3.6 at long wavelengths. Of this, a factor of 2 is due to the optimised optics. A good part of the rest is due to the higher peak flux from the unpoisoned moderator.

With the current ESS moderator suite, access to epithermal neutrons is problematic even for medium-resolution machines.

	Monochromator /Moderator	Flight-paths L <sub>1</sub> /L <sub>2</sub>	Beam optics system	Operating Frequencies
ISIS-17m	ISIS CH <sub>4</sub> poisoned	17m/2m	Direct view of $100 \times 100 \text{ mm}^2$	50 Hz
ESS-40m-H <sub>2</sub>	H <sub>2</sub> decoupled poisoned	40m/2m	$20 \text{ m of } 120 \times 120 \text{ mm}^2 \text{ Ni guide.}$	25 Hz 50 Hz
ESS-40-H <sub>2</sub> O	H <sub>2</sub> O decoupled poisoned	40m/2m	20 m of 120×120 mm <sup>2</sup> Ni guide	25 Hz
ESS-80-H <sub>2</sub>	H <sub>2</sub> decoupled unpoisoned	80m/2m	76.6 m of $20 \times 40$ mm <sup>2</sup> Ni guide	10 Hz 25 Hz 50 Hz
ESS-80-H <sub>2</sub> O	H <sub>2</sub> O decoupled unpoisoned	80m/2m	76.6 m of 20×40 mm <sup>2</sup> Ni guide	10 Hz

Table III: Instrument characteristics for the comparative simulations of different target/moderator choices at the ESS

However, the short-wavelength performances are significantly deteriorated. This would suggest that the 40m machine is better suited for high-Q crystallographic applications, while the 80m diffractometer is better for magnetism. The gain curves are somewhat more balanced for the water moderators. An  $H_2O$  moderator could perhaps be adopted for the 40m machine, if the scientific programme calls for predominantly crystallographic work (this choice was done at the SNS for the 80m POW-GEN3). Further changes could be introduced by adopting a more efficient optical system (e.g., a <sup>58</sup>Ni guide or even a ballistic guide).

## Frequency-dependent gains

Figures 6 shows the effect of varying the operating frequency (and hence the single-frame bandwidth) for the 40m diffractometers.

By all accounts, high-frequency operation is particularly appealing when one is only interested in d-spacing above 1 Å. In this case, a gain of a factor of two over the wide-band operation is attainable. At 80m, there is no longer any gain from going from 25 to 50Hz. This happens because we are effectively in the angle-dispersive limit, where the wavelength spread contributes little to the Q-range. Of course, this will no longer be true if one looks at a narrow angular range, for instance, in back scattering, to achieve high resolution. In this approach, one can still trade Q-range for flux.

# Perspectives at a long-pulse target

The long 2.5 msec pulse from the proposed long-pulse target is not suitable as such for powder diffraction use, and needs to be reshaped. This is done my means of a disc chopper placed at a distance  $L_{chop}$  from the moderator. It is easy to deduce the following relationship between  $L_{chop}$ , the pulse length t and the band width:



High-frequency, narrowbandwidth operation would produce sizeable gains for some experiments.

Given the parameters of the long-pulse target, and the restrictions in the upstream disk chopper position, a diffractometer at the long-pulse target must have a flight-path in excess of 180 m. The flux is reduced with respect to other moderators, but the variable resolution and triangular peak shape make this machine appealing.

**Fig. 5:** Effective flux gain factors over an equivalent ISIS machine for two ESS medium-resolution diffractometers: a 40m machine looking at a poisoned H<sub>2</sub> moderator (blue continuous line) and a poisoned H<sub>2</sub>O moderator (blue dotted line) and for an 80m machine looking at an unpoisoned H<sub>2</sub> moderator (red continuous line) and an unpoisoned H<sub>2</sub>O moderator (red dotted line).

Taking  $L_{chop} = 6m$  (slightly less than the standard ISIS value of 6.5m), and t = 2.0 msec (we here consider only the intense part of the pulse) one calculates a band width of 1.28 Å. From equation (4), one can then calculate the primary flight path at which the resulting histogram is filled, which is also the condition for optimum use of the peak brilliance.

$$L_{tot} = \frac{L_{chop}}{\mathbf{n} \cdot \mathbf{t}},\tag{10}$$

from which one deduces a flight path of 181m at 16.6Hz. The most favourable application for such a source/moderator combination would be for a cold-neutron, variable-resolution diffractometer [4], with excellent peak resolution and perfectly triangular peak shape. At long wavelengths, the long-pulse target peak-brilliance compares more favourably with the short-pulse targets. Also, at long wavelengths, the chopper system is better optimised (for chopper-shaped pulses, for any

given bandwidth, there is a penalty factor  $\sim \frac{I_{\min}}{I_{\min}}$  on the peak  $\overline{l}_{\text{max}}$ 

brilliance). Possible applications are for the study of extended magnetic defects and for complex structure solution. Nevertheless, the peak brilliance loss is a factor of two at best over the short-pulse target for the wavelengths of interest, and it is hard to argue for this machine as a first choice.



Fig. 6: Effective flux gain factors as a function of the operating frequency over an equivalent ISIS machine for the 40m ESS medium-resolution diffractometer. The blue curve is for 25Hz operation, while the red curves are for 50Hz with wavelength bands centred at 1.5, 2.5 and 3.5 Å.

A possible alternative would be a high-resolution Fourier diffractometer [5], of the type that successfully operated for a long time at the IBR-2 pulsed reactor in Dubna. Fourier diffractometers can be much shorter than conventional machines the disk-chopper machine having the same resolution. Therefore, a gain of a factor of 10 is a Fourier diffractometer. in wavelength-integrated peak brilliance is to be expected The main advantage of the because the wider wavelength range compatible with frame latter is the lower cost for overlap and the absence of beam attenuation from the guide. On the other hand, the peak height is reduced by a factor of 2 with respect to a conventional disk chopper, because the Fourier chopper has only 50% transmission in the "full open" state. Furthermore, the high-resolution to low-resolution peak height ratio is always less than one. The maximum theoretical value for this ratio is 0.75, but its real value depends on the quality of the Fourier chopper manufacture and the TOF/ geometrical contributions in the resolution function, and, in the

A possible alternative to comparable performances. The main disadvantage is the presence of a correlation background.

practice, is in the range 0.2-0.4. The overall gain of the Fourier technique in terms of peak height is therefore between 1 and 4. State-of-the-art electronics and computing technique should make the Fourier data reduction and analysis much more facile than in the past, although. Also on the positive side for Fourier diffraction is the projected instrument cost, since the cost of the sophisticated Fourier electronics is largely offset by the absence of a long neutron guide. On the negative side is the presence of an intense correlation background, which would hamper the observation of weak peaks next to stronger reflections. This effect is particularly severe in the case of the proposed ESS long-pulse source, since the 2.5 msec pulse width is 7 times larger than for the Dubna reactor. Another option to be considered for this type of machine is a coupled moderator, which would have a higher peak brilliance and a narrower peak width.

# **Final considerations**

## Preliminary assessments

- Given the choice, the 50Hz target is always better than the 10Hz one. However, locating a number of instruments on the 10Hz target would only result in a minor loss in flexibility.
- The poisoned de-coupled H<sub>2</sub>O and unpoisoned de-coupled H<sub>2</sub> moderators are the likely first choices for structural and magnetic work, respectively. At high resolution, the poisoned H<sub>2</sub> moderator is ideal for both fields.
- We dearly miss a truly sharp cold moderator, especially for crystallography requiring high and low Q at the same time.
- The long-pulse target is not a priority for powder diffraction. However, if it is built, a cold variable-resolution diffractometer and a Fourier diffractometer should be considered as the most promising choices.

## General considerations

If the choice of abandoning the 10Hz target is made, this would result in an enormous pressure onto the 50Hz target. Most likely, of the instruments originally assigned to the 10Hz target, only 50% or less will have the long-pulse target as their first choice. In particular, the 50Hz target would be the first choice for all the powder (and, probably, single-crystal) diffractometers. Even assuming that some of the instrument originally on the 50Hz would shift to the long-pulse target, this is likely to create a problem. In a sense, this is unavoidable, if one's goal is to widen the scientific breath of ESS from being a "super-ISIS" to combining this with a "super-ILL" role. However, the powder diffraction community should be swift in looking after its interests (which, in this scenario, will be threatened) as well as the needs of the broader community.

Attention should be paid to the overall availability of beam port suitable for powder diffraction. Choice of a long-pulse target will have a profound influence on the overall balance.

#### References

- [1] S. Ikeda and J. M. Carpenter, Nucl. Instr. and Methods in Phys. Res. A 239 (1985) 536-544.
- [2] W.G. Williams, R.M. Ibberson, P.Day and J.E. Enderby, Physica B 241-243 (1998) 234-236.
- [3] The Europeand Spallation Source Study Volume III: The ESS Technical Study, ESS-96-53-M, November 1996.
- [4] J.A. Stride, D. Wechsler, F. Mezei and H.-J. Bleif, "Powder Diffraction on a Long Pulse Spallation Source, Nucl. Instr. and Methods in Phys. Res. in Press.
- [5] V.L. Aksenov, A.M. Balagurov and V.A. Trounov, J. Neutron Research Vol. 6 (1997) 135-148.